



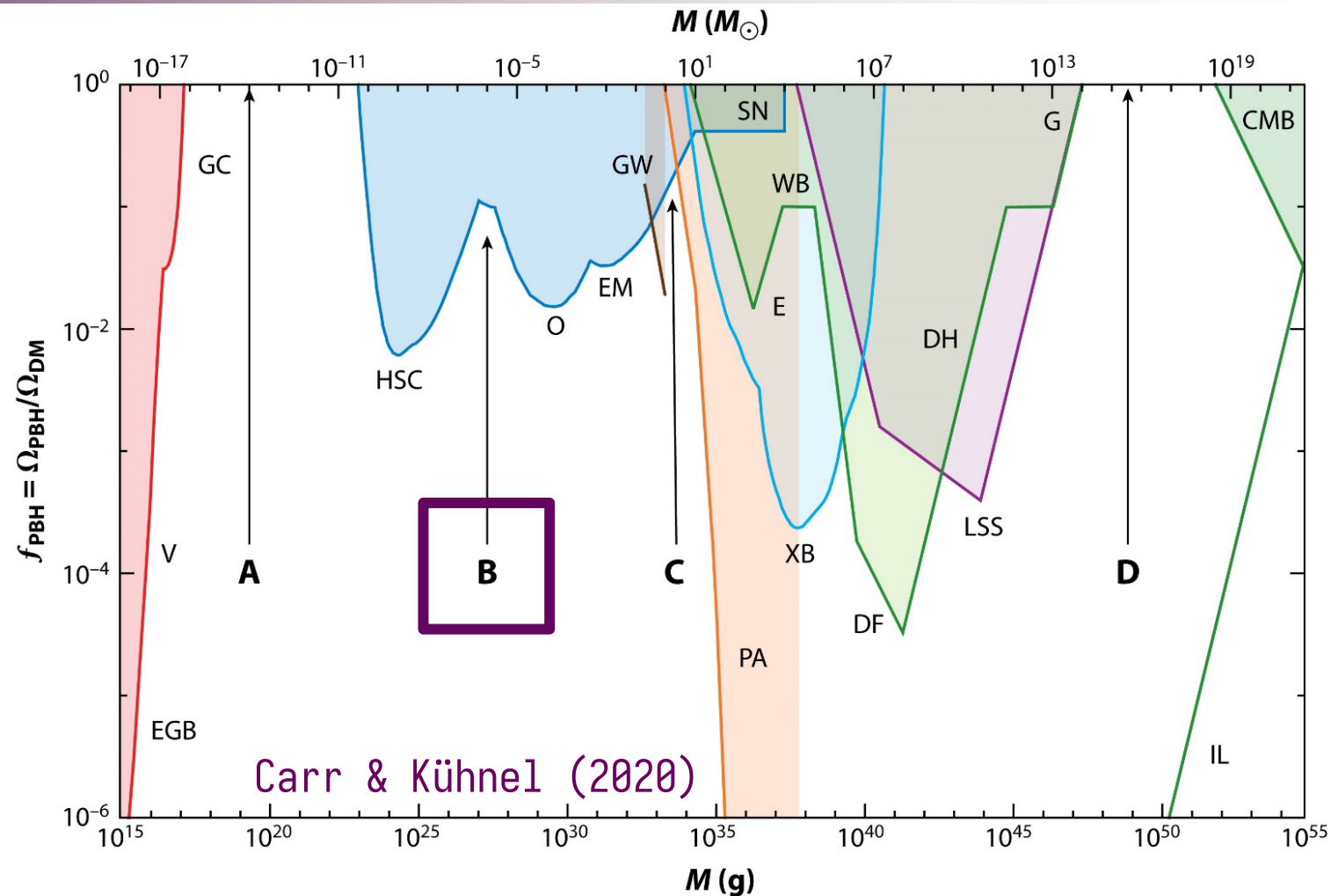
# Gravitational Waves from Primordial Black Hole Inspiring inside Compact Star: Novel Probe for Dense Matter Equation of State

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Collab.: Yong-Feng Huang (黄永锋)

- Hawking evaporation
- **Lensing**
- Gravitational Waves
- Accretion
- CMB distortion
- Large-scale structure
- Dynamical effects

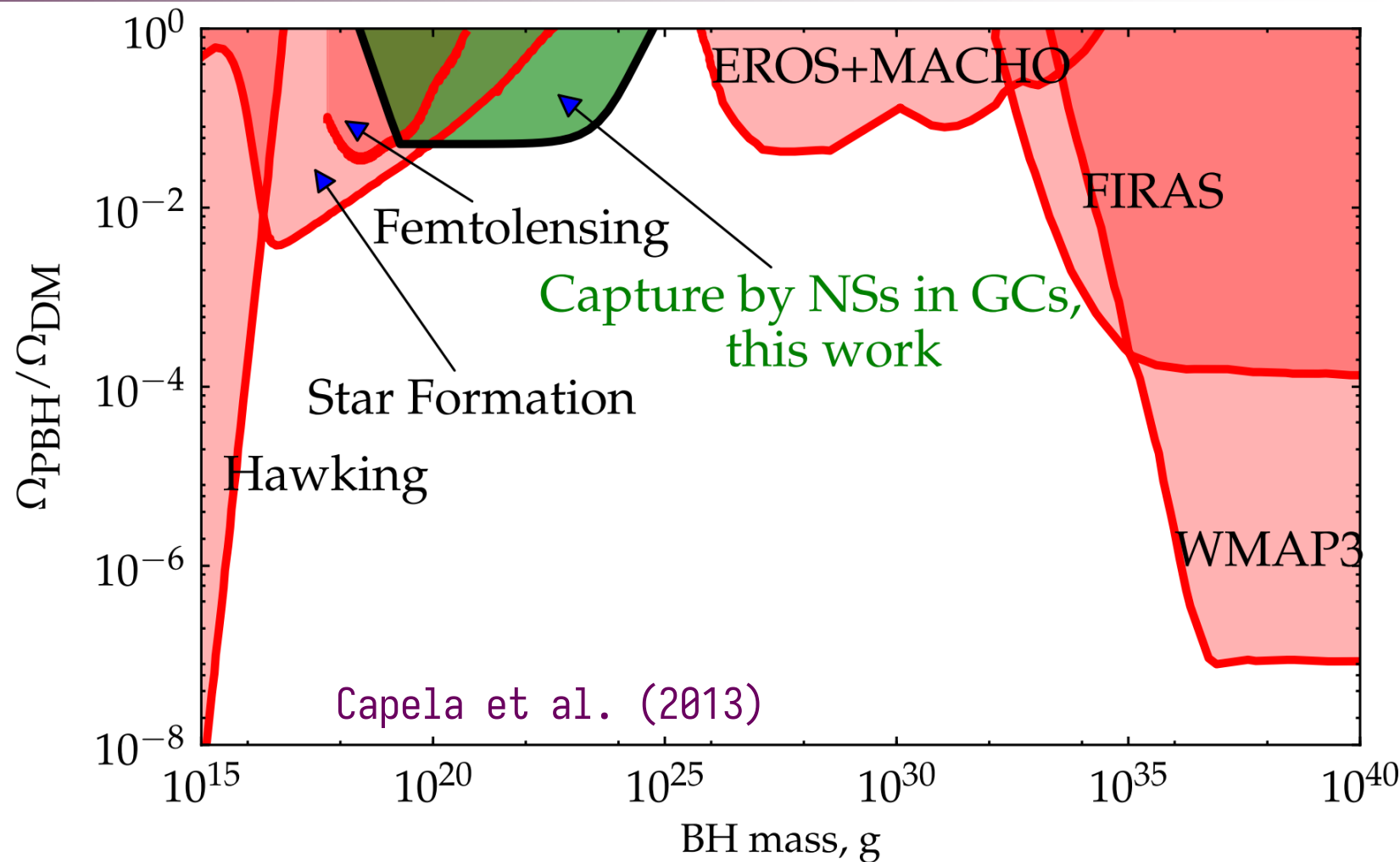




# Compact Star as Probe



- NS rich in GCs
- DM rich in GCs
- NS capture PBH
- PBH destroy NS
- Can NS survive?





# Compact Star as Probe



“ ... survival of stars does not constrain PBHs, but ... could be constrained if we can work out the observational signature of this process.” (Montero-Camacho et al. 2019)



# Observational Signatures?



## ■ Transmutation

- Fast radio bursts
  - (Fuller & Ott 2015, Abramowicz et al. 2018, Kainulainen et al. 2021)
- $r$ -process nucleosynthesis
  - (Fuller et al. 2017)
- Gamma-ray bursts &  $e^+$ 
  - (Takhistov 2019)
- Solar-mass black holes
  - (Takhistov et al. 2021)

## ■ Primordial black hole mass?



# Observational Signatures!



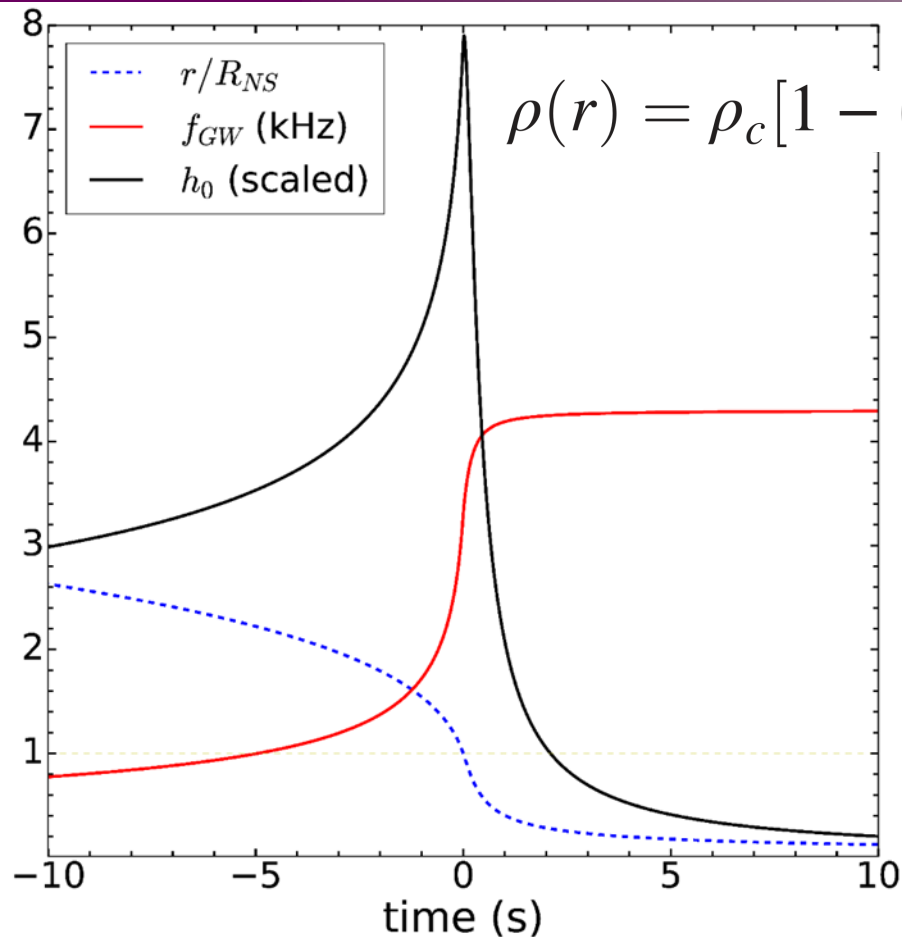
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## ■ Gravitational waves from inspiral!



# GWs as Observation Signature



Horowitz & Reddy (2019)

$$\rho(r) = \rho_c [1 - (r/R_{\text{NS}})^2]^{1/2}$$

“

... is *monochromatic* with frequency  $f_\star \sim \text{kHz}$  and with a *constant amplitude* estimated as

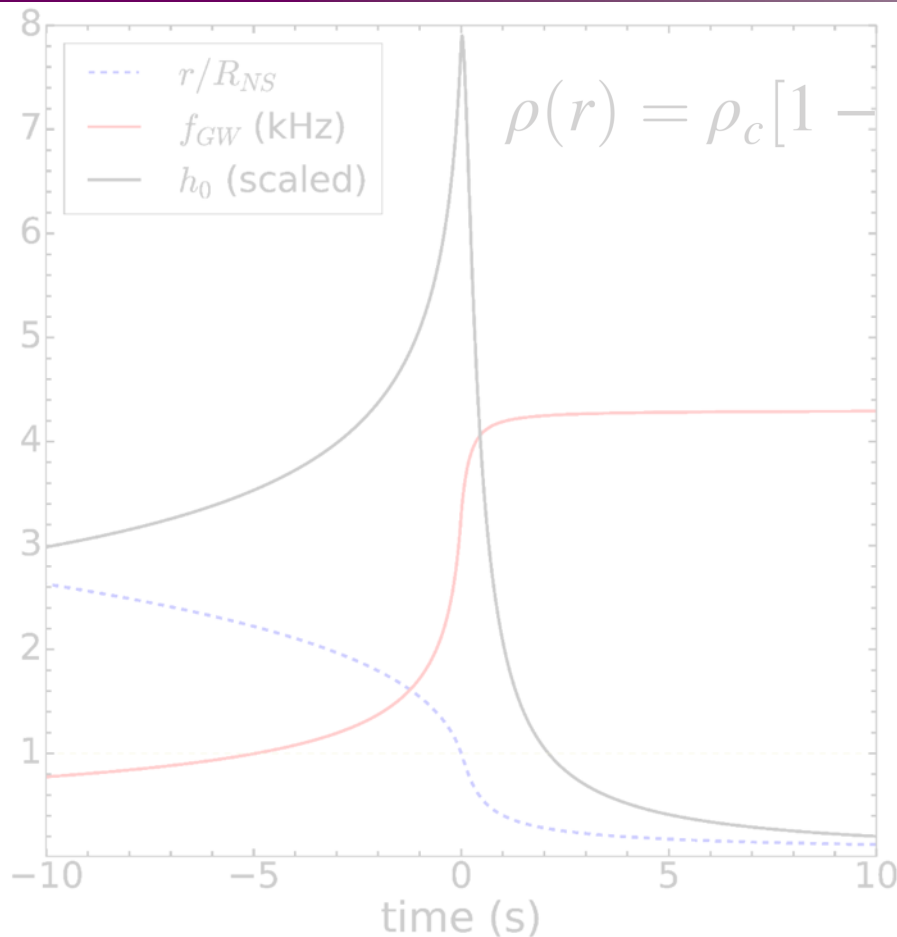
$$h_0 = \frac{4\sqrt{2}G}{dc^4} mr^2 \omega_\star^2 \approx 2.5 \times 10^{-25} \left( \frac{m}{10^{25} \text{ g}} \right) \left( \frac{1 \text{ kpc}}{d} \right)$$

(*italic font set by the original authors*)

Génolini et al. (2020)



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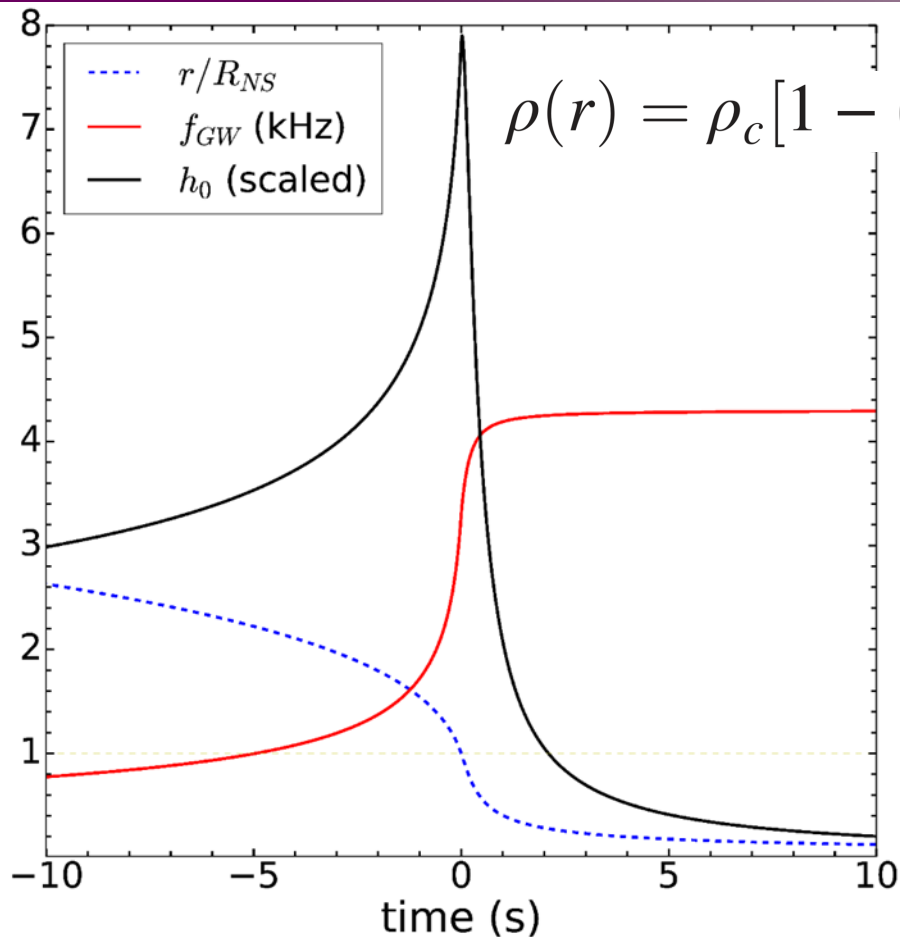
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# Dependence on Stellar Structure

## ■ Energy-losing channels

- Dynamical friction

$$\mathbf{F}_{\text{DF}} = -\frac{4\pi\rho m_{\text{PBH}}^2}{v^2}(\mathcal{I}_r\hat{\mathbf{r}} + \mathcal{I}_\varphi\hat{\boldsymbol{\varphi}})$$

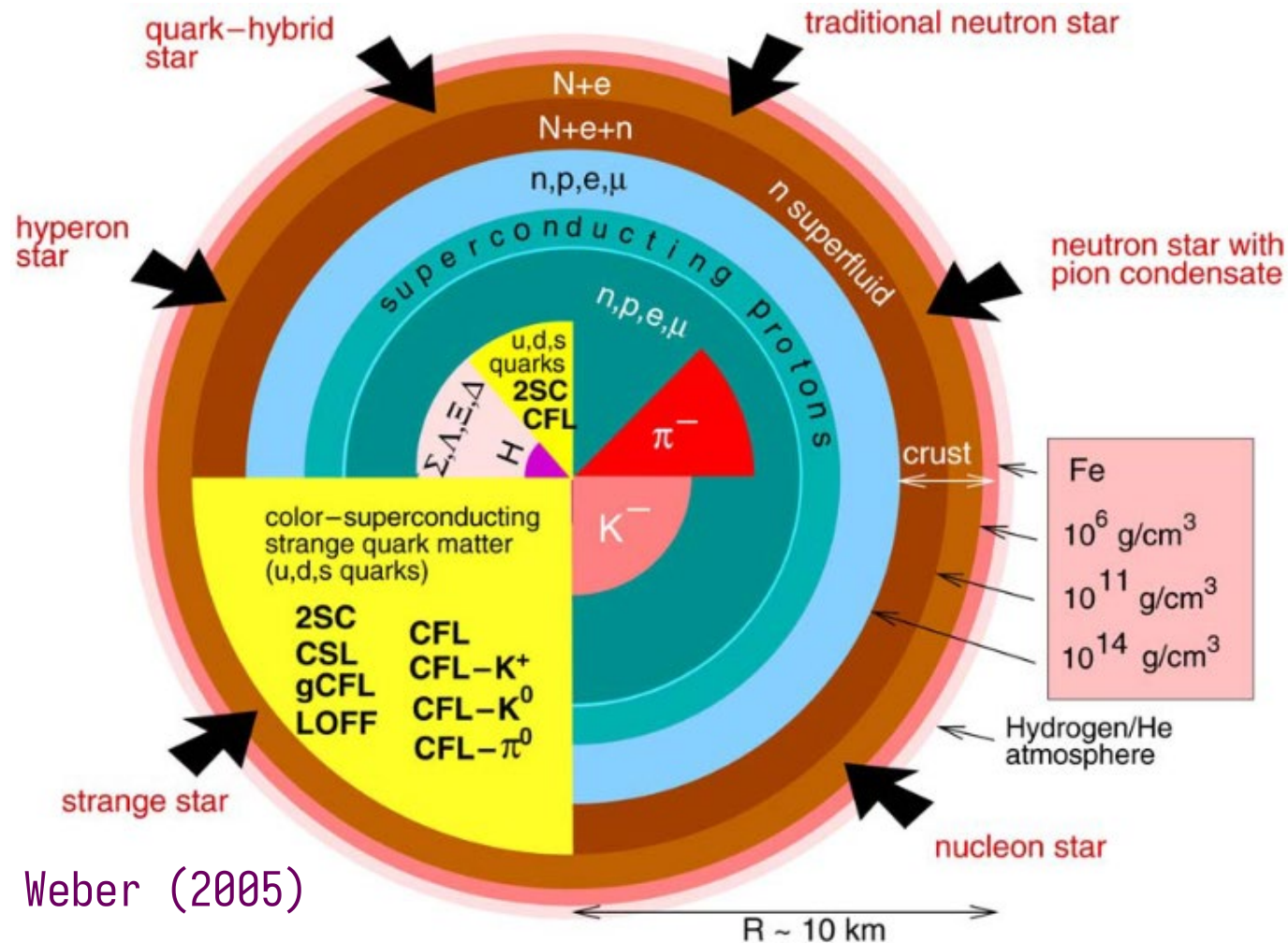
- Accretion

$$\dot{m}_{\text{PBH}} = \frac{4\pi\lambda\rho m_{\text{PBH}}^2}{(c_s^2 + v^2)^{3/2}}$$

- Post-Newtonian (GWs)

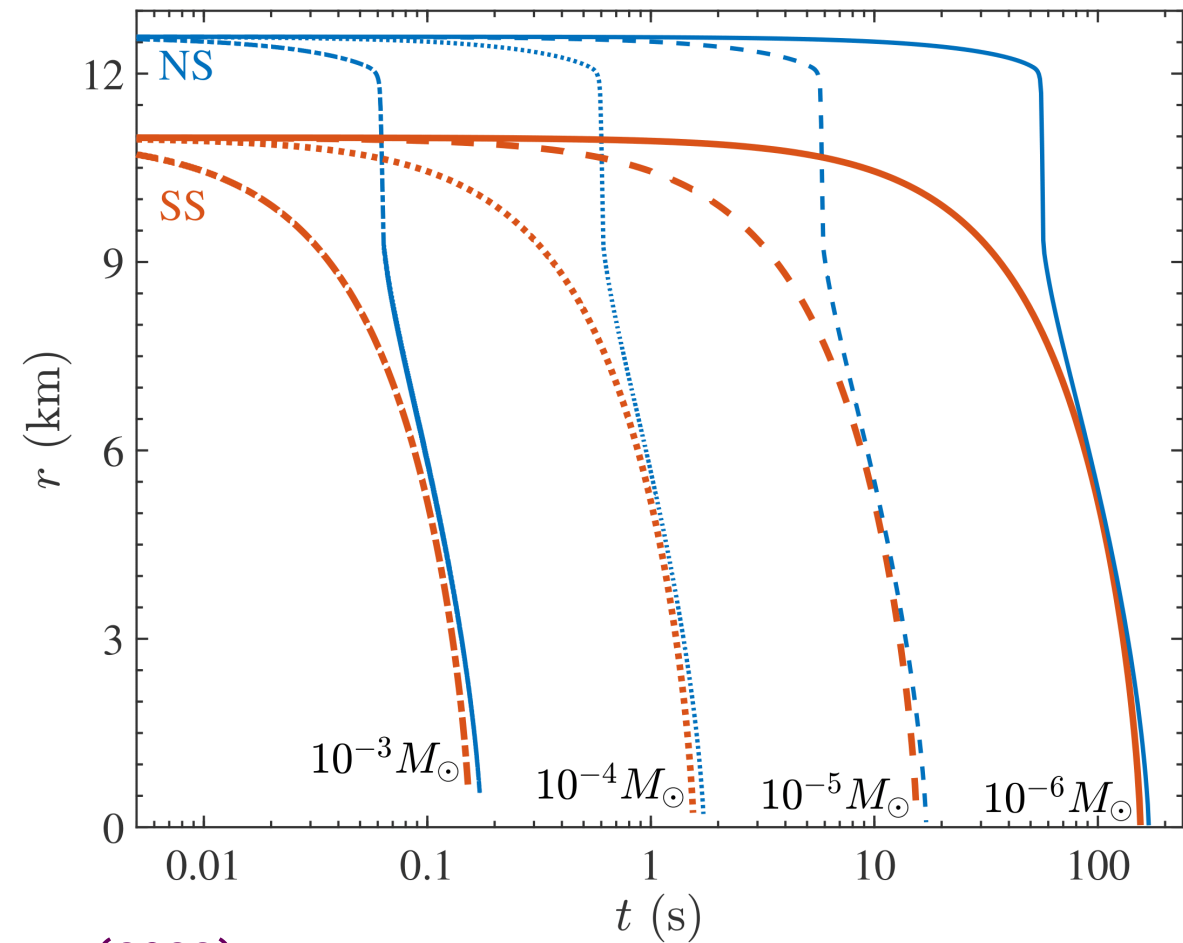
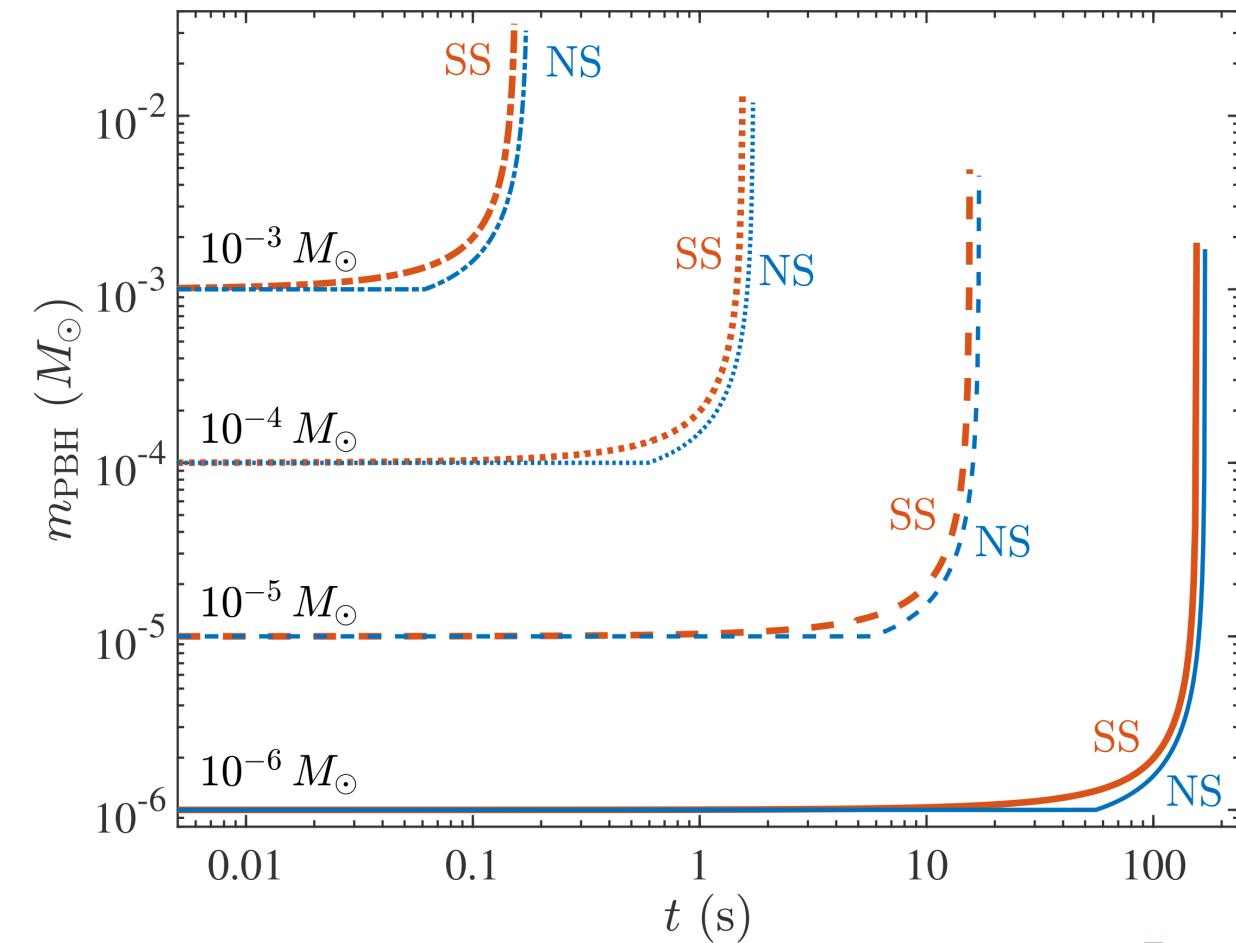
## ■ Stellar structure

- Neutron star (BSk 24)
- Strange star (MIT-Bag)





# Binary Evolution



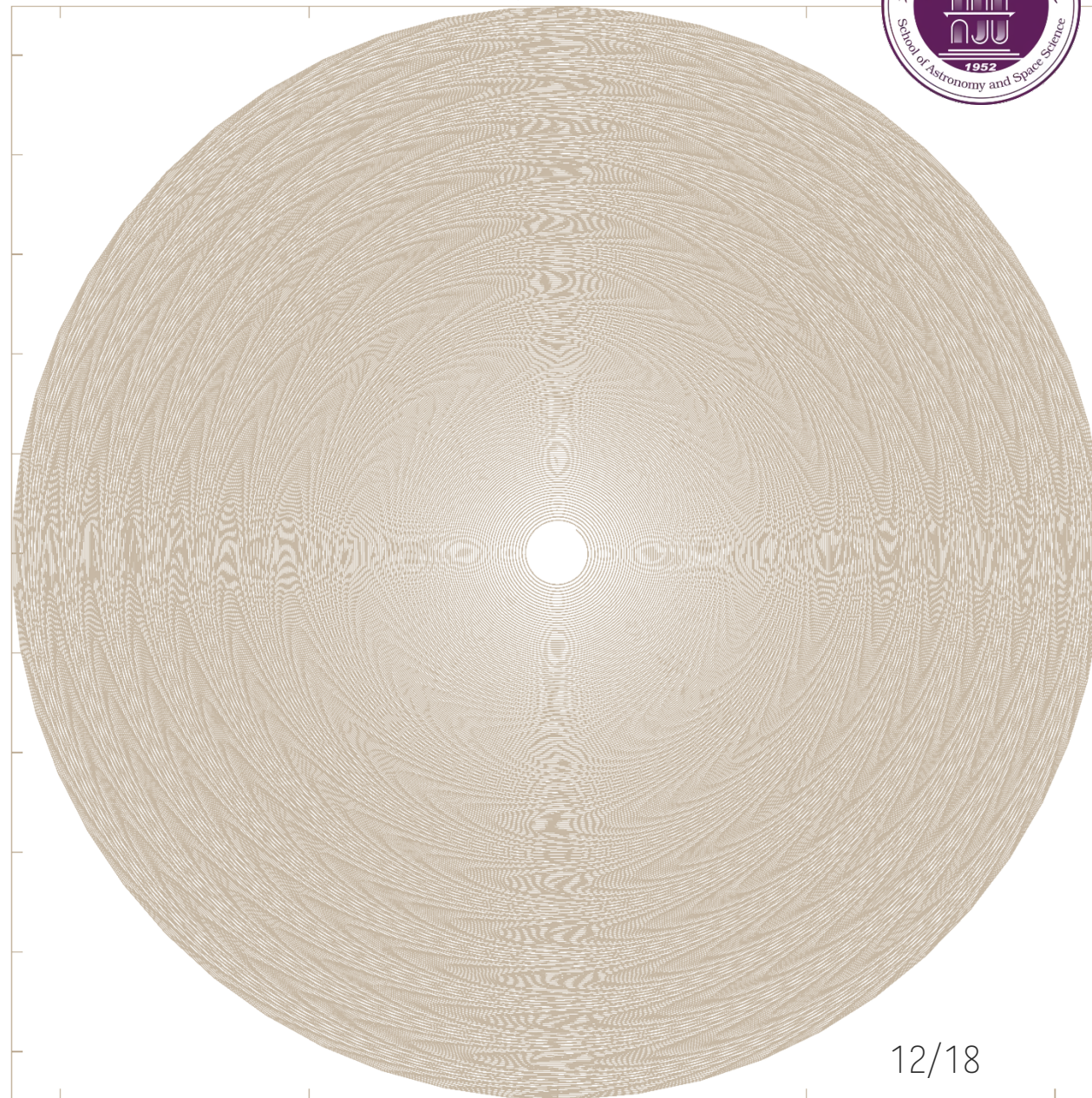
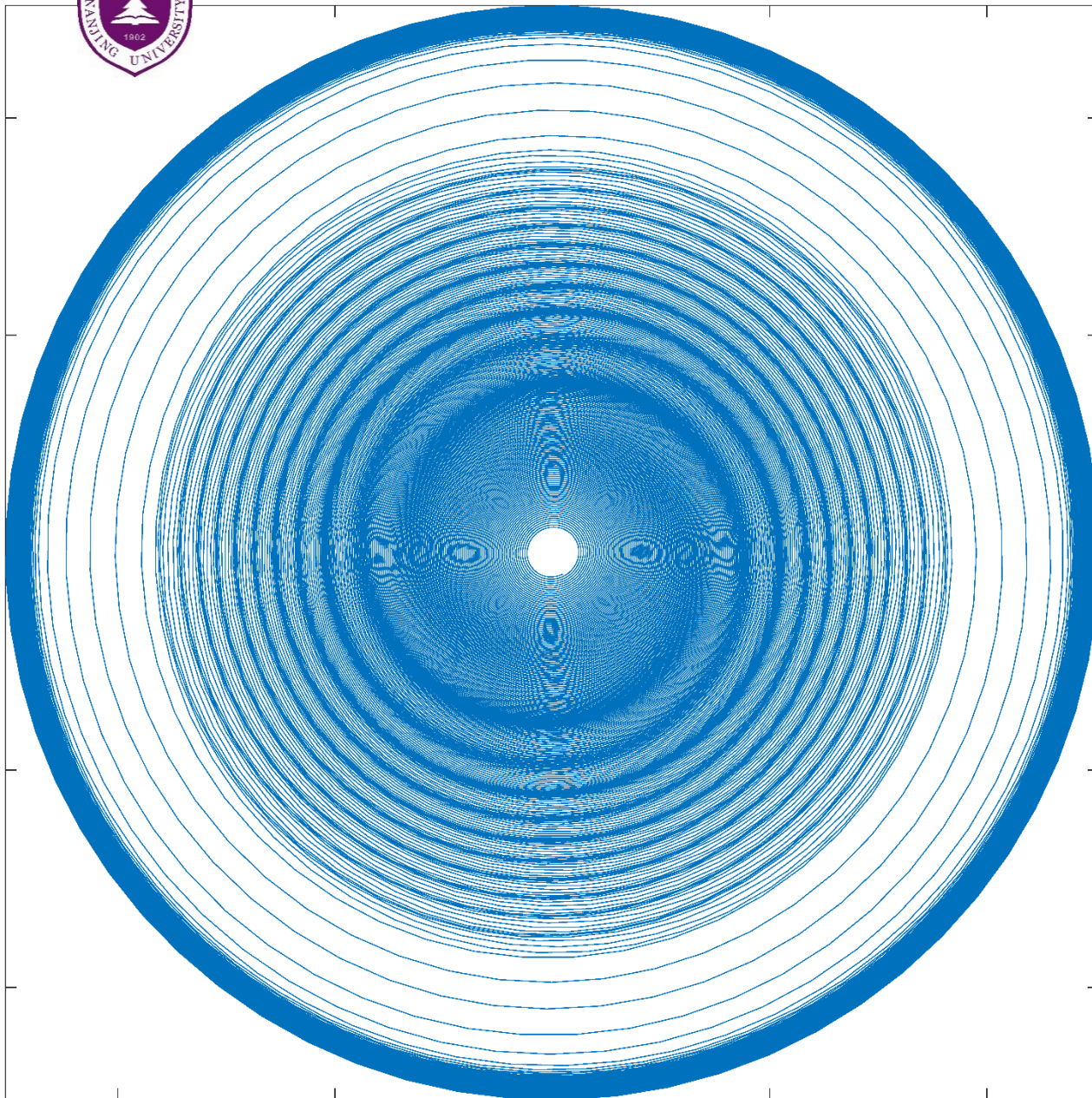
Zou & Huang (2022)



Orbit: Neutron Star

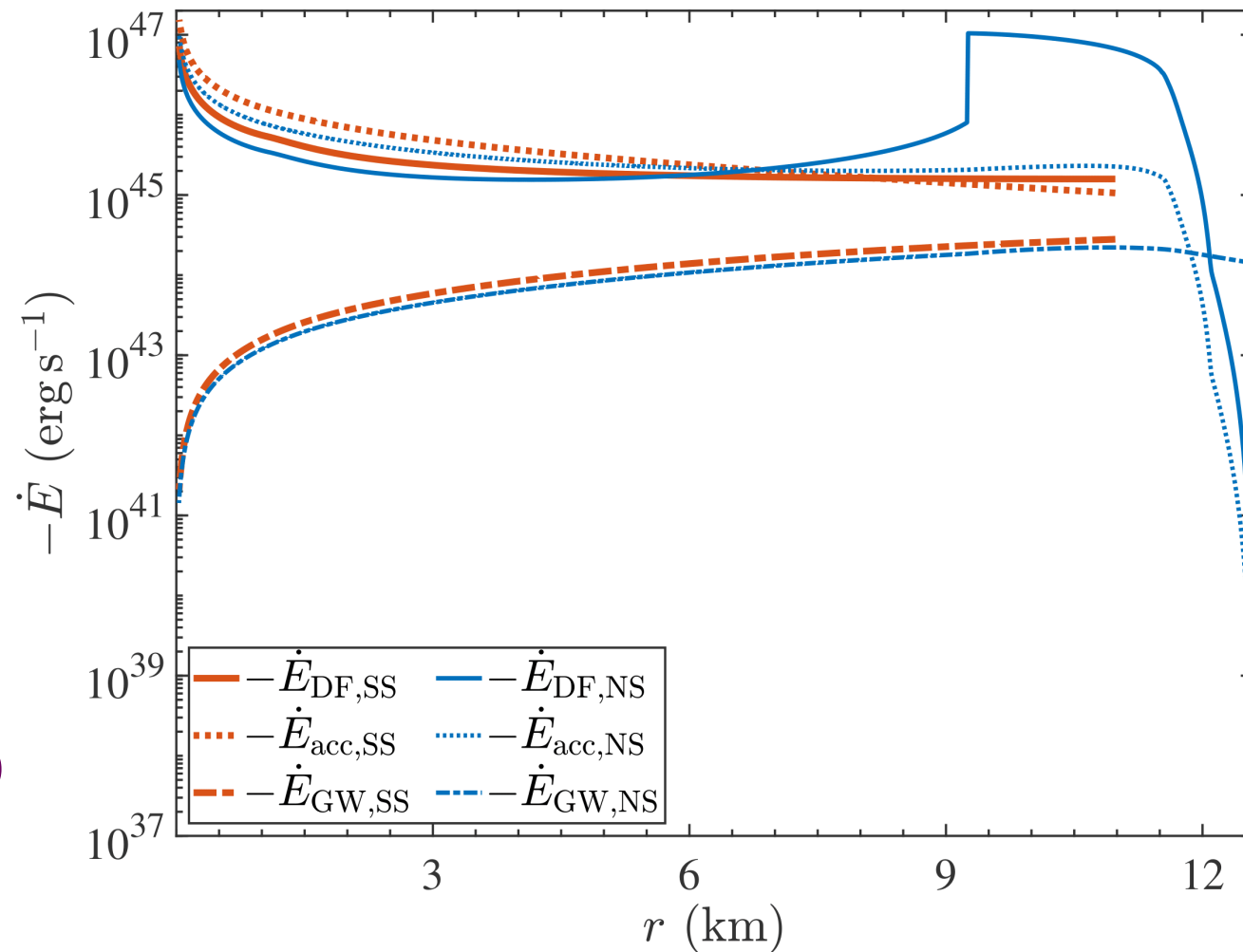
vs.

Strange Star





# Energy-losing Channels



Zou & Huang (2022)



# $m_{\text{PBH}} r^2$ is NOT a Constant

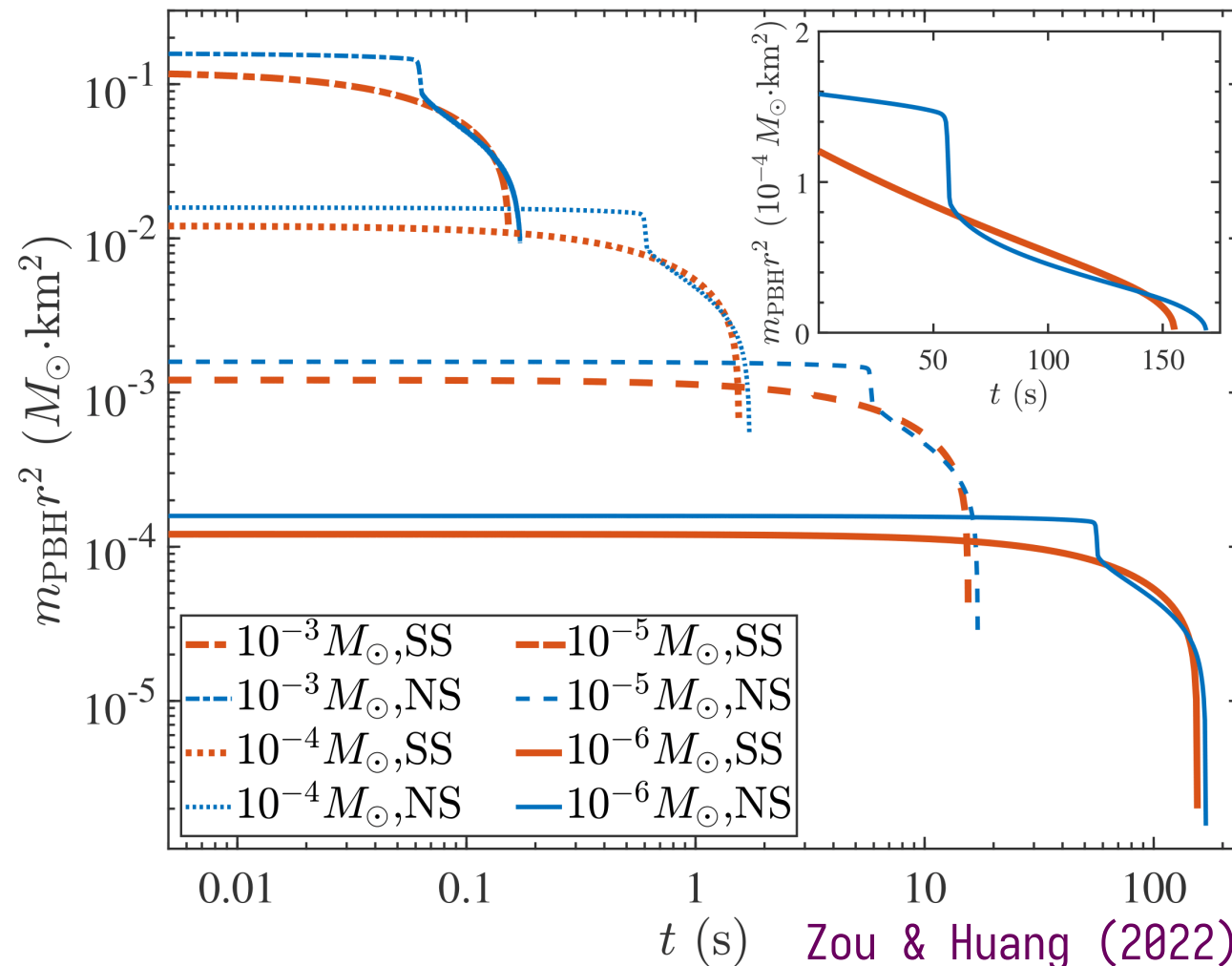


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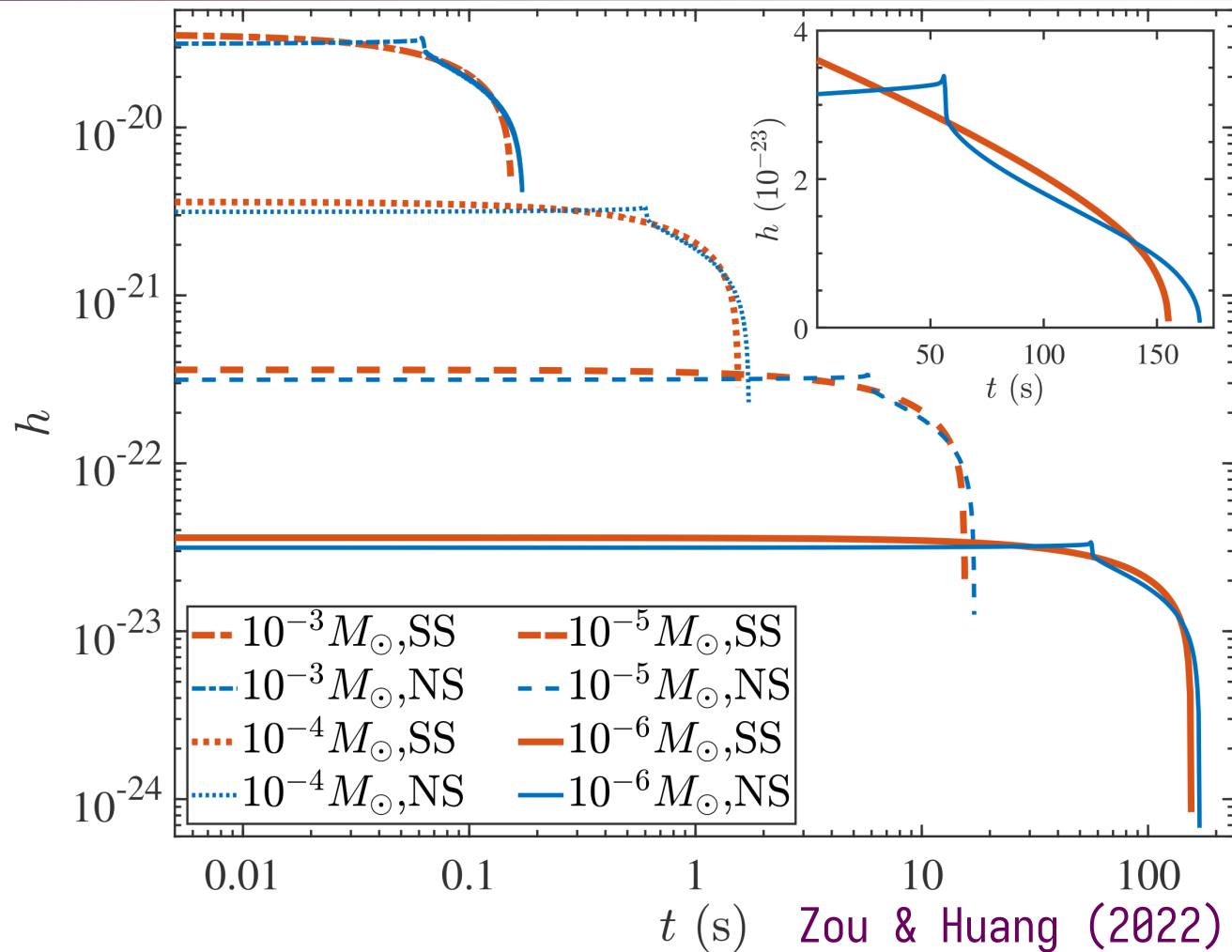
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Génolini et al. (2020)



$$h_+ = -\frac{4\mu v^2}{D_L} \cos 2\varphi,$$

$$h_\times = -\frac{4\mu v^2}{D_L} \sin 2\varphi,$$





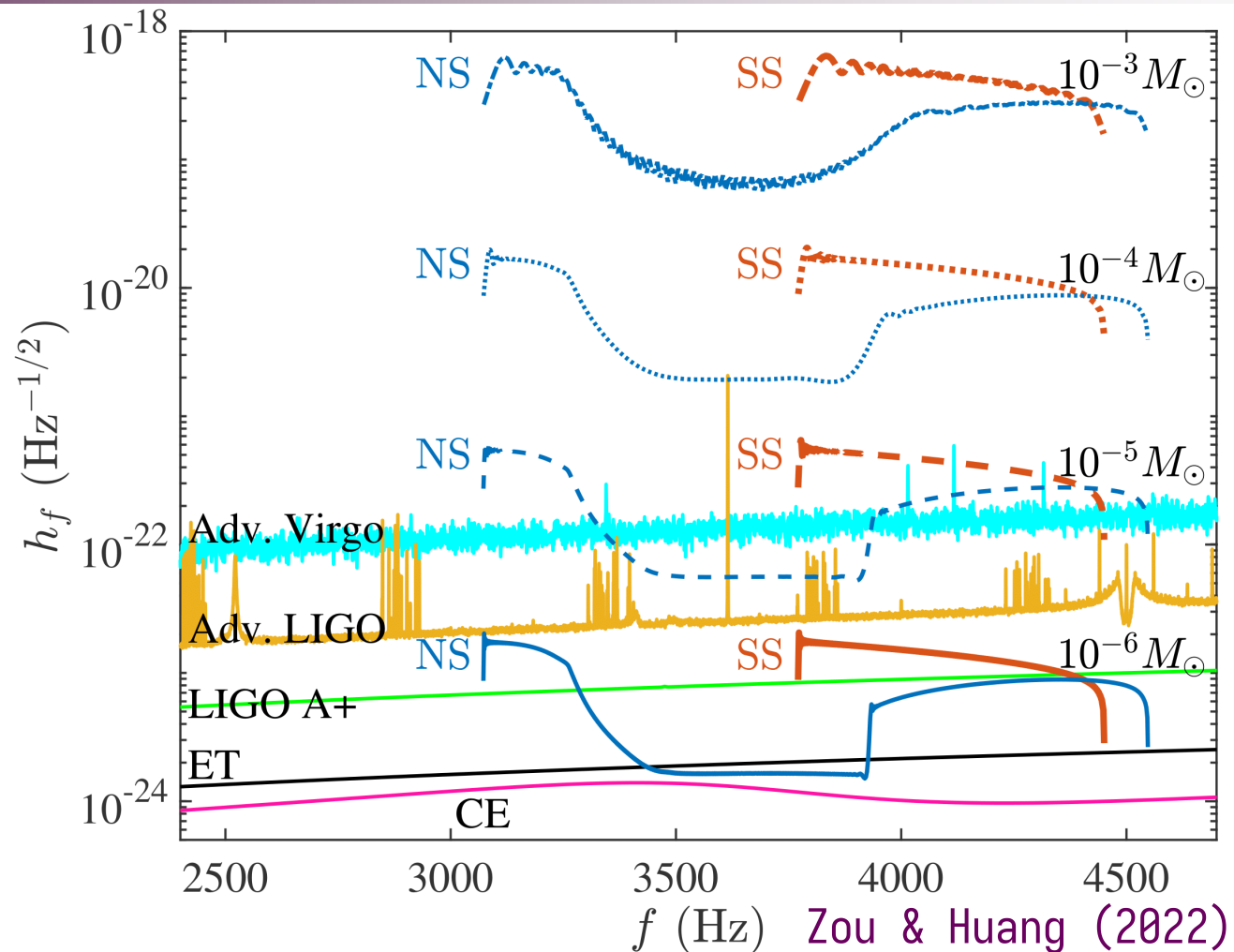
# Power Spectral Density



$$h_+ = -\frac{4\mu v^2}{D_L} \cos 2\varphi,$$

$$h_\times = -\frac{4\mu v^2}{D_L} \sin 2\varphi,$$

$$h_f = 2f^{1/2} |\tilde{h}(f)|$$



Zou & Huang (2022)



# Summary



## GWs from PBH inspiraling inside compact star:

- constrain PBHs' fraction of dark matter
- probe the dense matter equation of state



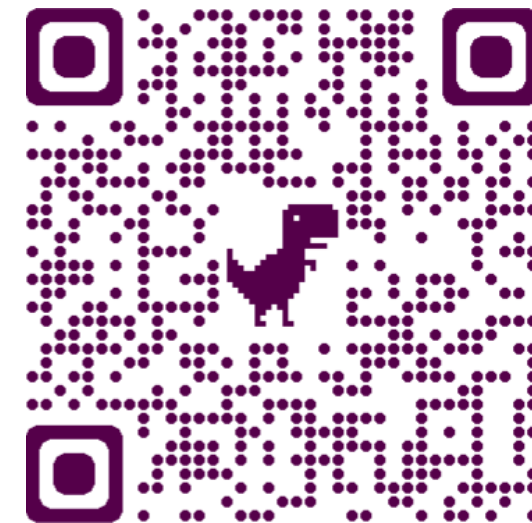
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**Thank you!**



Zou, Z.-C. & Huang, Y.-F.\* 2022, *ApJL*, **928**:L13